# 🛎 🛎 🔶 🌢 !!Math Club!! 🗯 🔶 🔶 🗯

#### Mr. Allee & Dr. Dave



Fairview Elementary 2024–2025

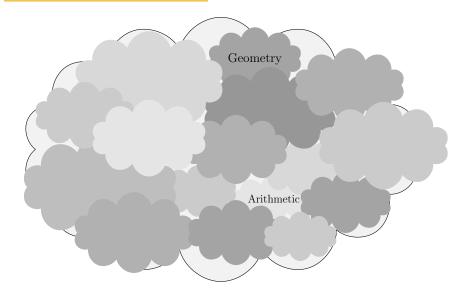
## Introductions

Say your:

- ▶ Name/nickname (what you want us to call you)
- ▶ Grade
- Something in math you don't know
- Example: Dr. Dave; grade 21+; don't know any knot theory

#### What is math?

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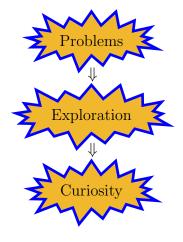
Geometry Abstract alg. Topology
Harmonic Non-Euclidean
Combinatorics Calculus Knot theory Probability
Graph theory Statistics Arithmetic Differential equs
Map coloring Fractals Logic

#### Some math from Dr. Dave's research

$$\begin{split} & \mathbb{P}\{\hat{b}_{1}(f) \leq P^{a}f - P^{b}f \leq \hat{b}_{2}(f) \text{ for all } f \in \mathcal{F}\} \\ & = \mathbb{P}\{(\mathbb{P}_{n}^{a} - \mathbb{P}_{n}^{b})f - \left|\tilde{T}\right|_{1-\alpha}^{\mathcal{F}\vee} \hat{\sigma}_{f}/\sqrt{n_{a}} \leq P^{a}f - P^{b}f \leq (\mathbb{P}_{n}^{a} - \mathbb{P}_{n}^{b})f + \left|\tilde{T}\right|_{1-\alpha}^{\mathcal{F}\vee} \hat{\sigma}_{f}/\sqrt{n_{a}}, \forall f \in \mathbb{Z}\} \\ & = \mathbb{P}\{-\left|\tilde{T}\right|_{1-\alpha}^{\mathcal{F}\vee} \hat{\sigma}_{f}/\sqrt{n_{a}} \leq [(P^{a} - P^{b}) - (\mathbb{P}_{n}^{a} - \mathbb{P}_{n}^{b})]f \leq \left|\tilde{T}\right|_{1-\alpha}^{\mathcal{F}\vee} \hat{\sigma}_{f}/\sqrt{n_{a}} \text{ for all } f \in \mathcal{F}\} \\ & = \mathbb{P}\{-\left|\tilde{T}\right|_{1-\alpha}^{\mathcal{F}\vee} \leq \sqrt{n_{a}}[(P^{a} - P^{b}) - (\mathbb{P}_{n}^{a} - \mathbb{P}_{n}^{b})]f/\hat{\sigma}_{f} \leq \left|\tilde{T}\right|_{1-\alpha}^{\mathcal{F}\vee} \text{ for all } f \in \mathcal{F}\} \\ & = \mathbb{P}\{\left|\tilde{T}_{f}\right| \leq \sqrt{n_{a}}[(P^{a} - P^{b}) - (\mathbb{P}_{n}^{a} - \mathbb{P}_{n}^{b})]f/\hat{\sigma}_{f} \leq \left|\tilde{T}\right|_{1-\alpha}^{\mathcal{F}\vee} \text{ for all } f \in \mathcal{F}\} \\ & = \mathbb{P}\{\left|\hat{T}_{f}\right| \leq \left|\tilde{T}\right|_{1-\alpha}^{\mathcal{F}\vee} \text{ for all } f \in \mathcal{F}\} \\ & = \mathbb{P}\{\left|\tilde{T}_{f}\right| \leq \left|\tilde{T}\right|_{1-\alpha}^{\mathcal{F}\vee} \text{ for all } f \in \mathcal{F}\} \\ & \to 1-\alpha \end{split}$$

because  $|\hat{T}|^{\mathcal{F}^{\vee}} \xrightarrow{d} |T|^{\mathcal{F}^{\vee}}$  by Corollary 3 and  $|\tilde{T}|_{1-\alpha}^{\mathcal{F}^{\vee}} \xrightarrow{p} |T|_{1-\alpha}^{\mathcal{F}^{\vee}}$  by Theorem 9, and because  $|T|^{\mathcal{F}^{\vee}}$  has a continuous distribution.

Exercises ∜ Skills ∜ Competence



## A magic trick

Instructions: cover/shade any four vertical or any four horizontal

Then, Dr. Dave will immediately tell you their sum!

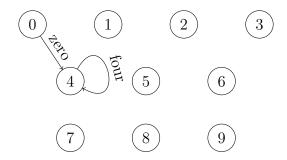
## A magic trick

Cover four horizontal **Cover** or vertical

		_	_				_	_	_		
0	3	9	1	7	0	3	9	1	7	0	3
4	5	2	8	1	4	5	2	8	1	4	5
7	6	0	4	3	7	6	0	4	3	7	6
8	4	6	2	0	8	4	6	2	0	8	4
1	2	3	5	9	1	2	3	5	9	1	2
0	3	9	1	7	0	3	9	1	7	0	3
4	5	2	8	1	4	5	2	8	1	4	5
7	6	0	4	3	7	6	0	4	3	7	6
8	4	6	2	0	8	4	6	2	0	8	4
1	2	3	5	9	1	2	3	5	9	1	2
0	3	9	1	7	0	3	9	1	7	0	3
4	5	2	8	1	4	5	2	8	1	4	5

## Number spelling chains

Instructions: 1) pick a number, 2) spell it, 3) count the number of letters, 4) draw an arrow from the first number to its number of letters, 5) repeat...

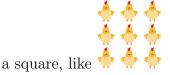


What's the longest chain you can make? Do they always end on 4???

## A square triangle?

Imagine you have some, uh, chickens: 🔶 🔶 🔶

For certain numbers of chickens, you can arrange them into



For others, you can arrange them into a triangle, like



 $\implies$  Is there any number of chickens that you can arrange into both a square and a triangle??